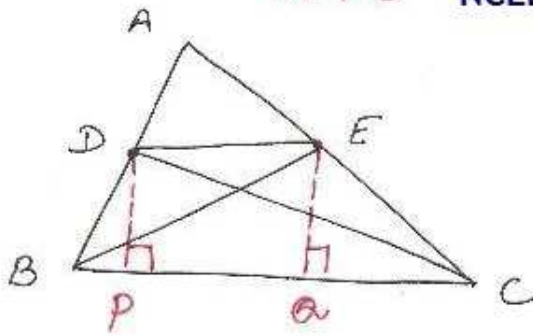


(7)



To prove - $DE \parallel BC$

Const - draw $DP \perp BC, EQ \perp BC$

Proof -

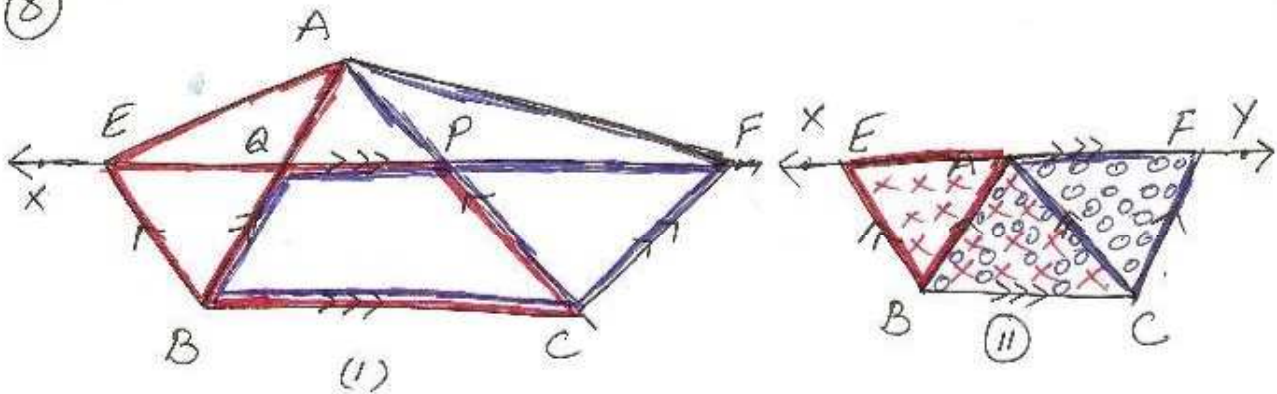
$$ar(\triangle DBC) = ar(\triangle ECB)$$

$$\frac{1}{2} \times BC \times DP = \frac{1}{2} \times BC \times EQ$$

$$\Rightarrow DP = EQ$$

$\therefore DE \parallel BC$ [\because distance remains constant]

(8)



To prove $ar(\triangle ABE) = ar(\triangle ACF)$

Proof - $ar(\triangle ABE) = \frac{1}{2} ar(\parallel gm \text{ EBCP}) \dots \textcircled{i}$

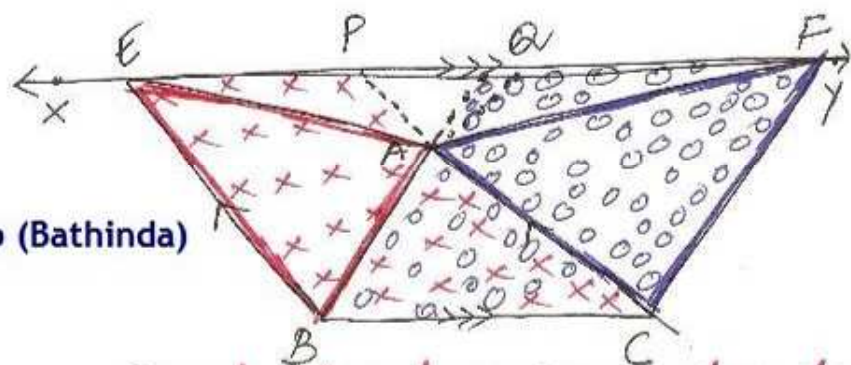
$$ar(\triangle ACF) = \frac{1}{2} ar(\parallel gm \text{ QBCF}) \dots \textcircled{ii}$$

$$ar(\parallel gm \text{ EBCP}) = ar(\parallel gm \text{ QBCF}) \dots \textcircled{iii}$$

From $\textcircled{i}, \textcircled{ii}, \textcircled{iii}$

$$ar(\triangle ABE) = ar(\triangle ACF)$$

Sim. for fig $\textcircled{ii}, \textcircled{iii}$



Const - produce BA and CA to intersect XY at Q and P resp.