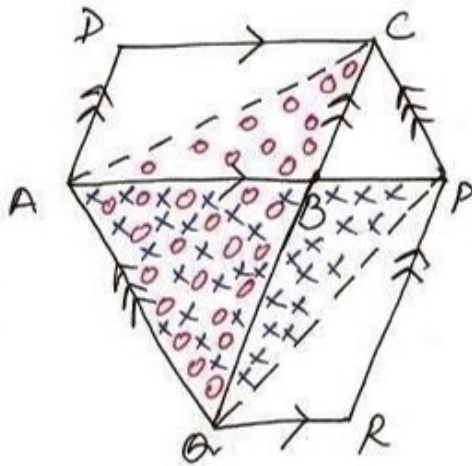


9

ex 9.3



To show -

$$ar(ABCD) = ar(PBQR)$$

Proof  $CP \parallel AQ$

$$ar(\triangle CAQ) = ar(\triangle PQA) \quad \left[ \begin{array}{l} \Delta s \text{ on same base} \\ \text{and between same} \\ \text{parallel lines} \end{array} \right]$$

$$\Rightarrow ar(\triangle ABC) + ar(\triangle BAQ) = ar(\triangle QBP) + ar(\triangle BAQ)$$

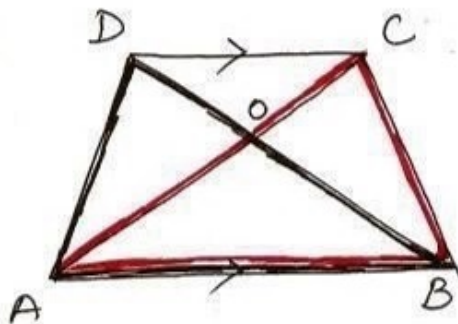
$$\Rightarrow ar(\triangle ABC) = ar(\triangle QBP)$$

$$(x2) \quad 2 ar(\triangle ABC) = 2 ar(\triangle QBP)$$

$$\Rightarrow ar(\parallel gm ABCD) = ar(\parallel gm PBQR)$$

[diagonal divides a  
||gm into 2  $\Delta$ s equal  
in area]

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To Prove  $ar(AOD) = ar(BOC)$

Proof  $DC \parallel AB$

$$ar(\triangle DAB) = ar(\triangle CBA) \quad \left[ \begin{array}{l} \Delta s \text{ on same base and} \\ \text{between same parallel} \\ \text{lines} \end{array} \right]$$

$$\Rightarrow ar(\triangle AOD) + ar(\triangle AOB) = ar(\triangle BOC) + ar(\triangle AOB)$$

$$\Rightarrow ar(\triangle AOD) = ar(\triangle BOC)$$