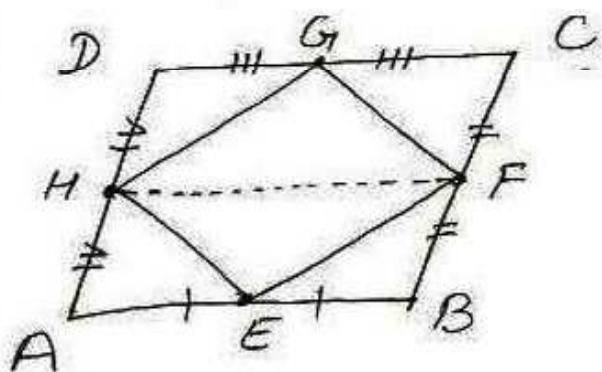


$ar(11gm ABCD) = ar(11gm ABCD)$

$DC \times AE = AD \times CF$

$16 \times 8 = AD \times 10$ [DC = AB = 16cm
opp sides of 11gm]

$\Rightarrow AD = \frac{16 \times 8}{10}$
 $= 12.8 \text{ cm}$



To prove $ar(EFGH) = \frac{1}{2} ar(ABCD)$

Const - join HF

Proof $AD \parallel BC$ [opp sides of 11gm]

$\Rightarrow AH \parallel BF$

$AD = BC$ [do]

$2AH = 2BF$ [H is midpt of AD
F is midpt of BC]

$\Rightarrow AH = BF$

ABFH is a 11gm [AH \parallel BF
AH = BF]

Similarly HFCD is a

$ar(\Delta EHF) = \frac{1}{2} ar(11gm)$

[Δ and 11gm on same base and between same 11 lines]

$ar(\Delta GHF) = \frac{1}{2} ar(11gm)$

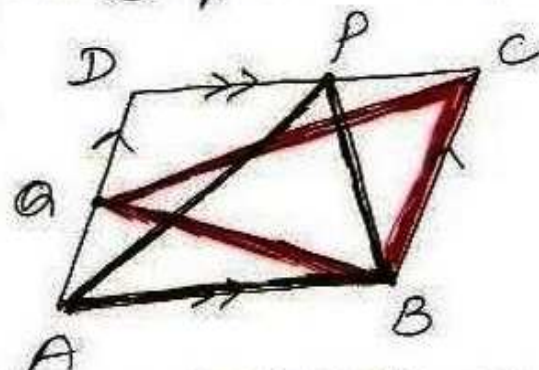
① + ②

$ar(\Delta EHF) + ar(\Delta GHF)$

$= \frac{1}{2} [ar(11gm ABFH) + ar(11gm)$

$= \frac{1}{2} ar(11gm ABCD)$

③



To prove $ar(APB) = ar(\Delta BPC)$

Proof

$ar(\Delta APB) = \frac{1}{2} ar(11gm)$

[Δ and 11gm on same base between same 11

$ar(\Delta BPC) = \frac{1}{2} ar(11gm AB)$

From ① and ②

$ar(\Delta APB) = ar(\Delta BPC)$